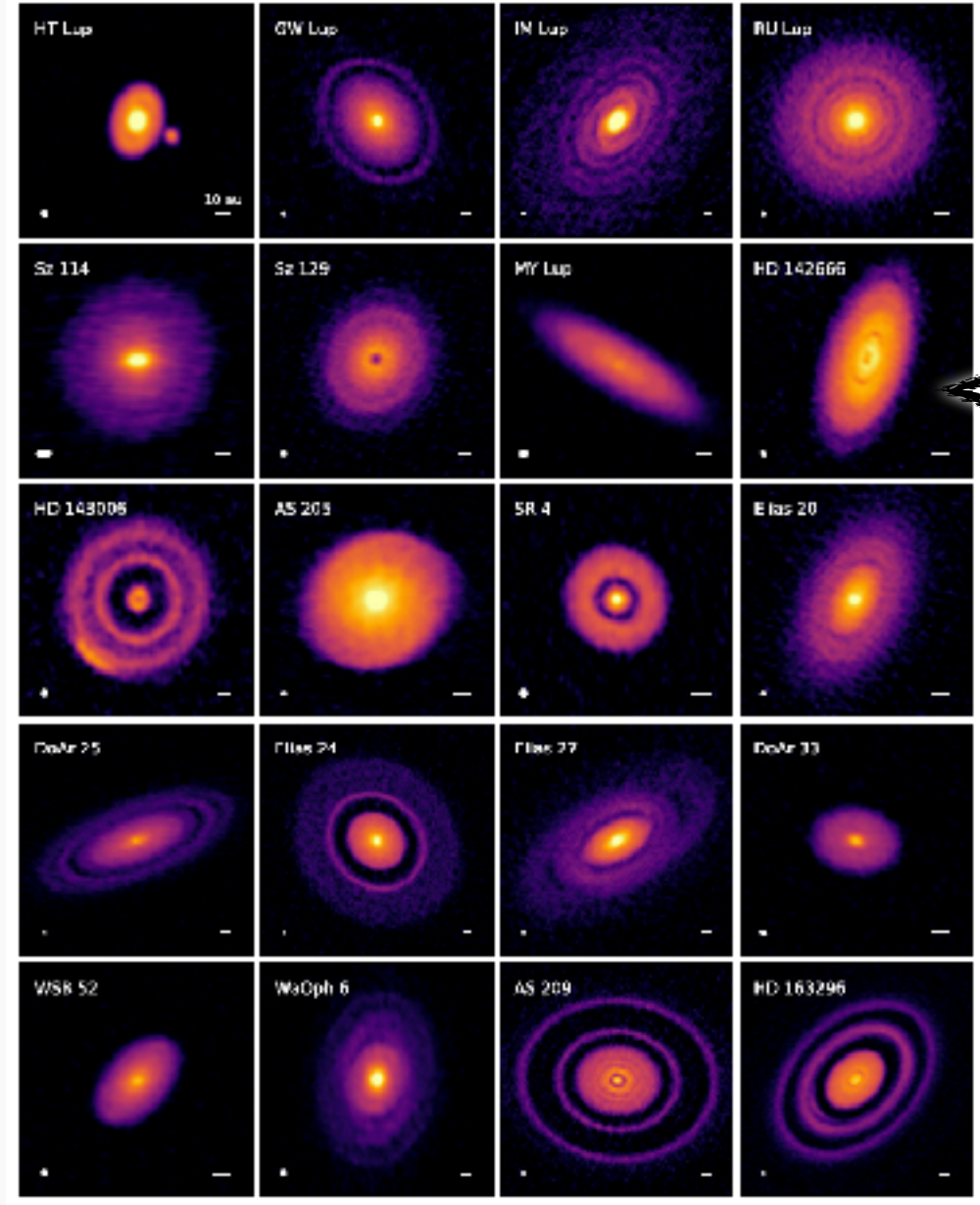


Dust growth toward planetesimals via coagulation instability and secular gravitational instability in protoplanetary disks

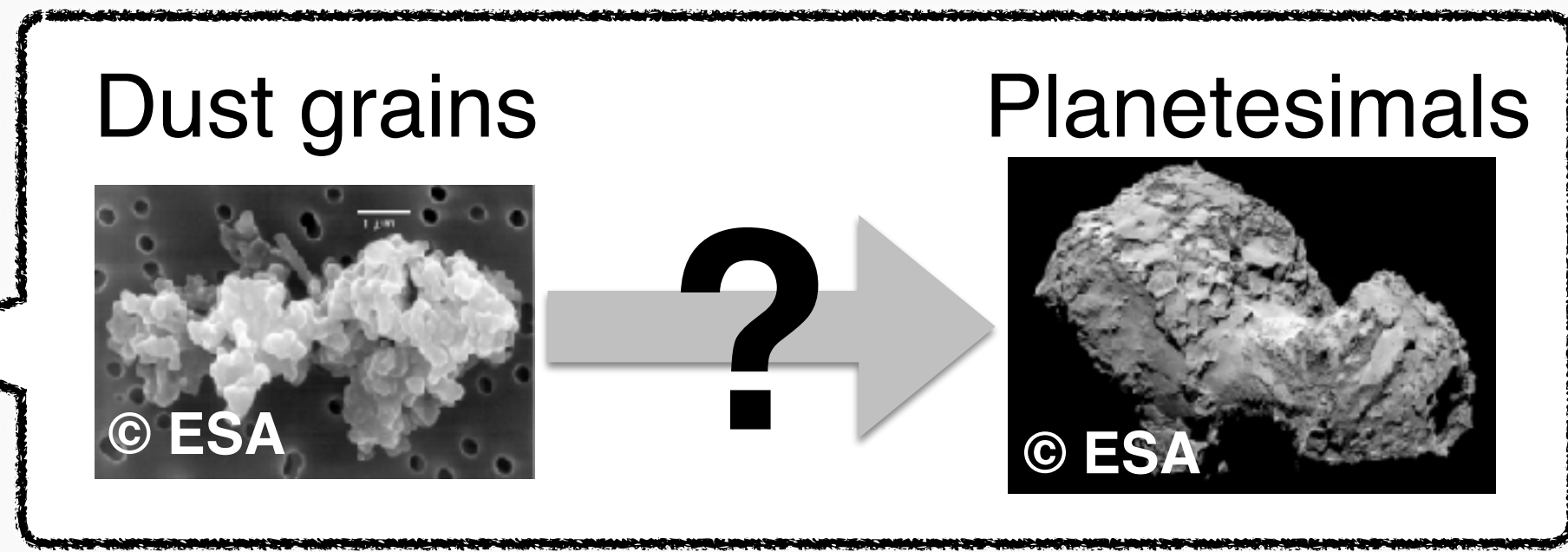
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1. Introduction



DSHARP, Andrews et al. (2018)



Dust evolution is one key process in the disk evolution and planet formation.

- coagulation (e.g., Okuzumi et al. 2012)
- dust-gas instabilities (e.g., Youdin & Goodman 2005)

Dust evolution via dust-gas instabilities

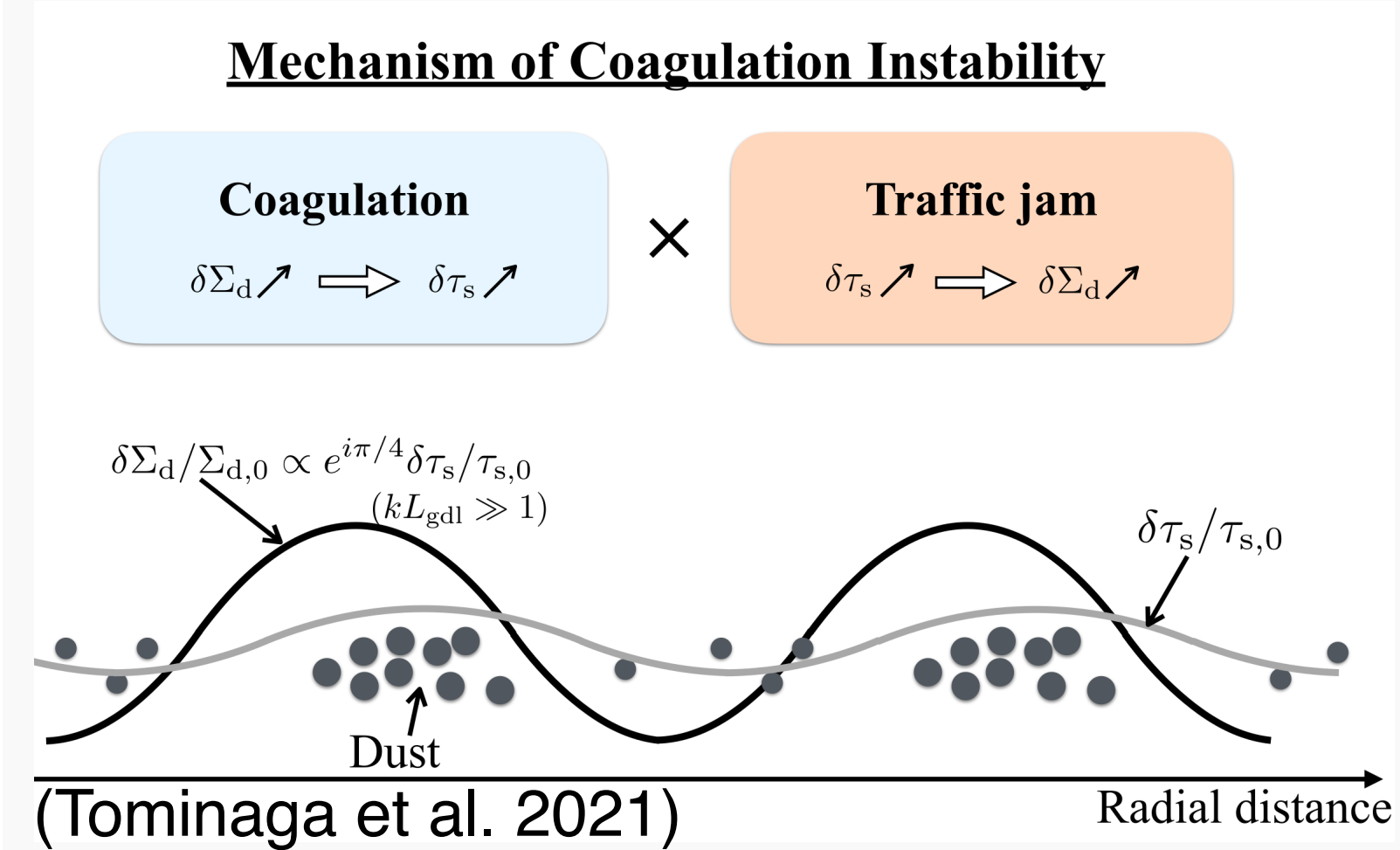
- streaming instability (SI) (e.g., Youdin & Goodman 2005; Johansen & Youdin 2007; Johansen et al. 2007)
- secular gravitational instability (secular GI) (e.g., Ward 2000; Youdin 2011; Takahashi & Inutsuka 2014,2016)

$D/G \geq 10^{-2}$ & large dust sizes are required for SI/secular GI. \rightarrow dust trapping at pressure bumps/snowline... is necessary.

This work proposes a new instability free from the prerequisite dust trapping!

2. Coagulation Instability (CI): linear growth

Tominaga et al. (2021): "Coagulation + Radial drift" triggers CI!



Basic equations: (see Sato et al. 2016)

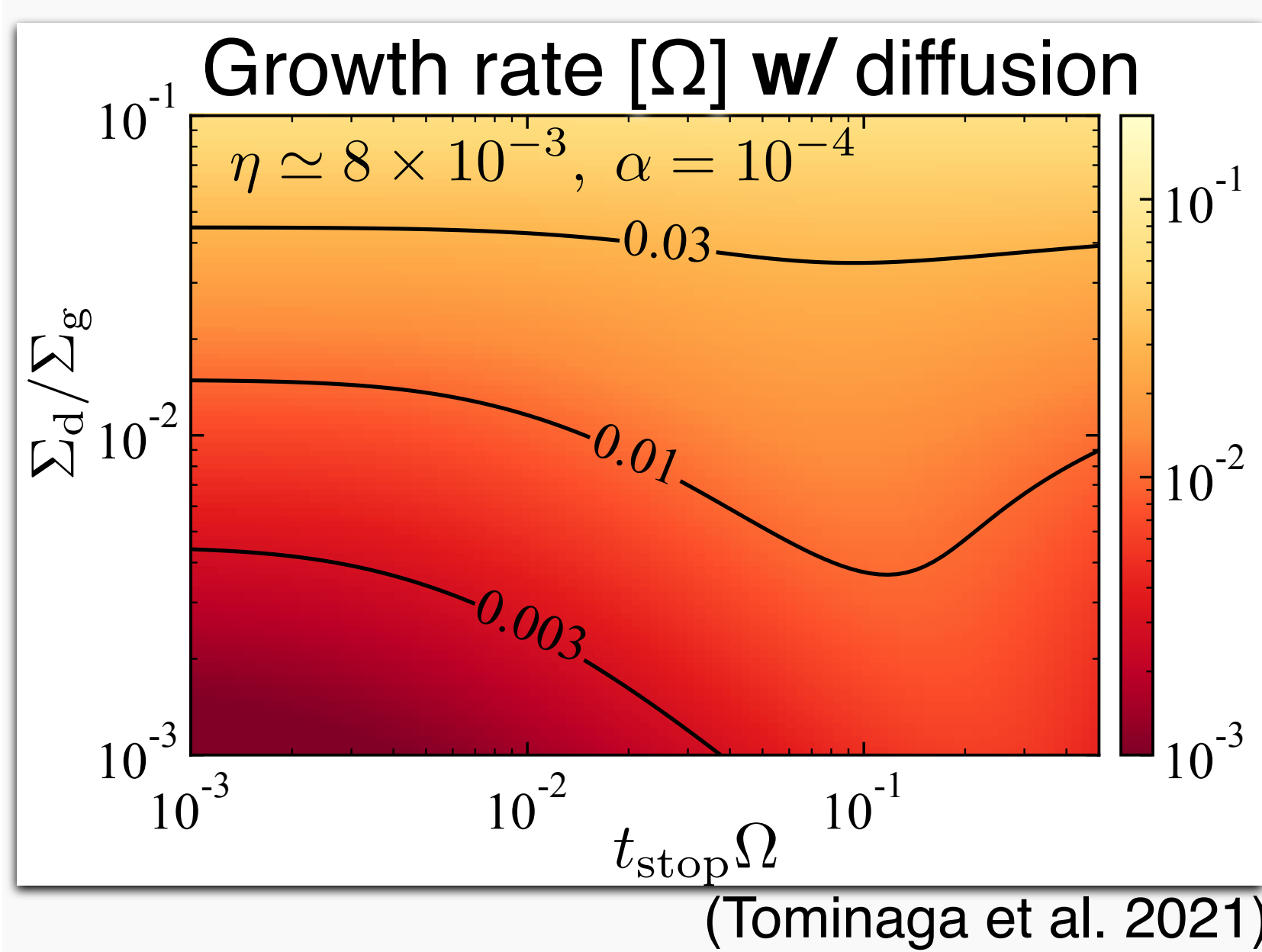
$$\frac{\partial \Sigma_d}{\partial t} = -\frac{1}{r} \frac{\partial}{\partial r} [r v_r(r, m_p) \Sigma_d]$$

$$\frac{\partial m_p \Sigma_d}{\partial t} = \frac{2\sqrt{\pi} a^2 \Delta v_{pp} \Sigma_d}{H_d} - \frac{1}{r} \frac{\partial}{\partial r} [r m_p v_r(r, m_p) \Sigma_d]$$

$$v_r = v_{\text{drift}} + F_{\text{diff}} / \Sigma_d$$

↑ Diffusion flux

*Two-fluid analyses show little difference. \rightarrow CI is essentially one-fluid instability.



In contrast to SI & secular GI, CI operates even for low D/G !

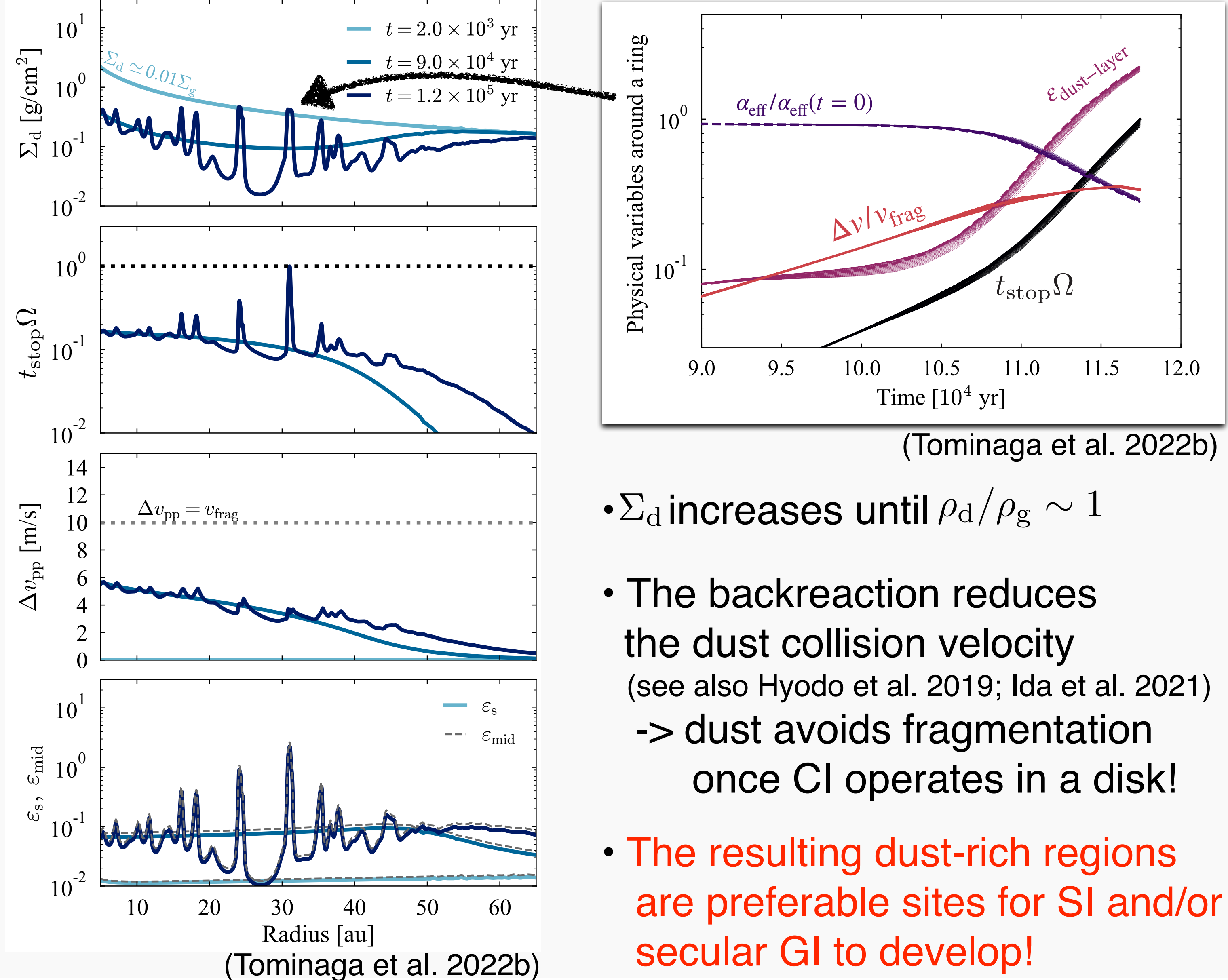
CI timescale \sim tens of T_{Kep} , even with dust diffusion ($\alpha \sim 10^{-4}$)

$$\lambda_{\text{max}} \sim H \left(\frac{\alpha}{10^{-4}} \right)^{2/3} \left(\frac{\Sigma_d / \Sigma_g}{10^{-3}} \right)^{-1/3} \times \left(\frac{|v_{\text{drift}}| / c_s}{0.02} \right)^{-1/3}$$

3. Numerical simulations of CI

Tominaga et al. (2022a,b): Nonlinear CI accelerates dust growth!

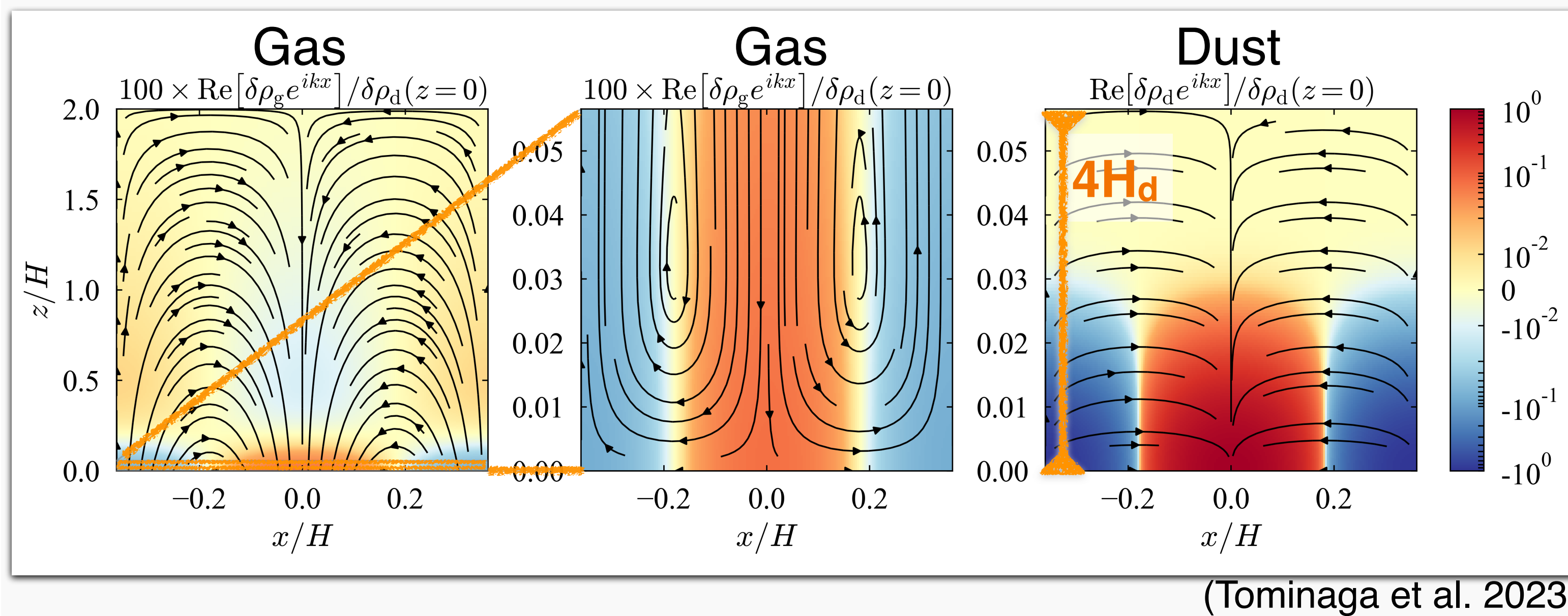
Note: no pressure bump assumed!



- Σ_d increases until $\rho_d / \rho_g \sim 1$
- The backreaction reduces the dust collision velocity (see also Hyodo et al. 2019; Ida et al. 2021) \rightarrow dust avoids fragmentation once CI operates in a disk!
- The resulting dust-rich regions are preferable sites for SI and/or secular GI to develop!

4. Secular GI after CI: toward planetesimal formation

Tominaga et al. (2023): 2.5D linear analyses to study secular GI in vertically stratified disks



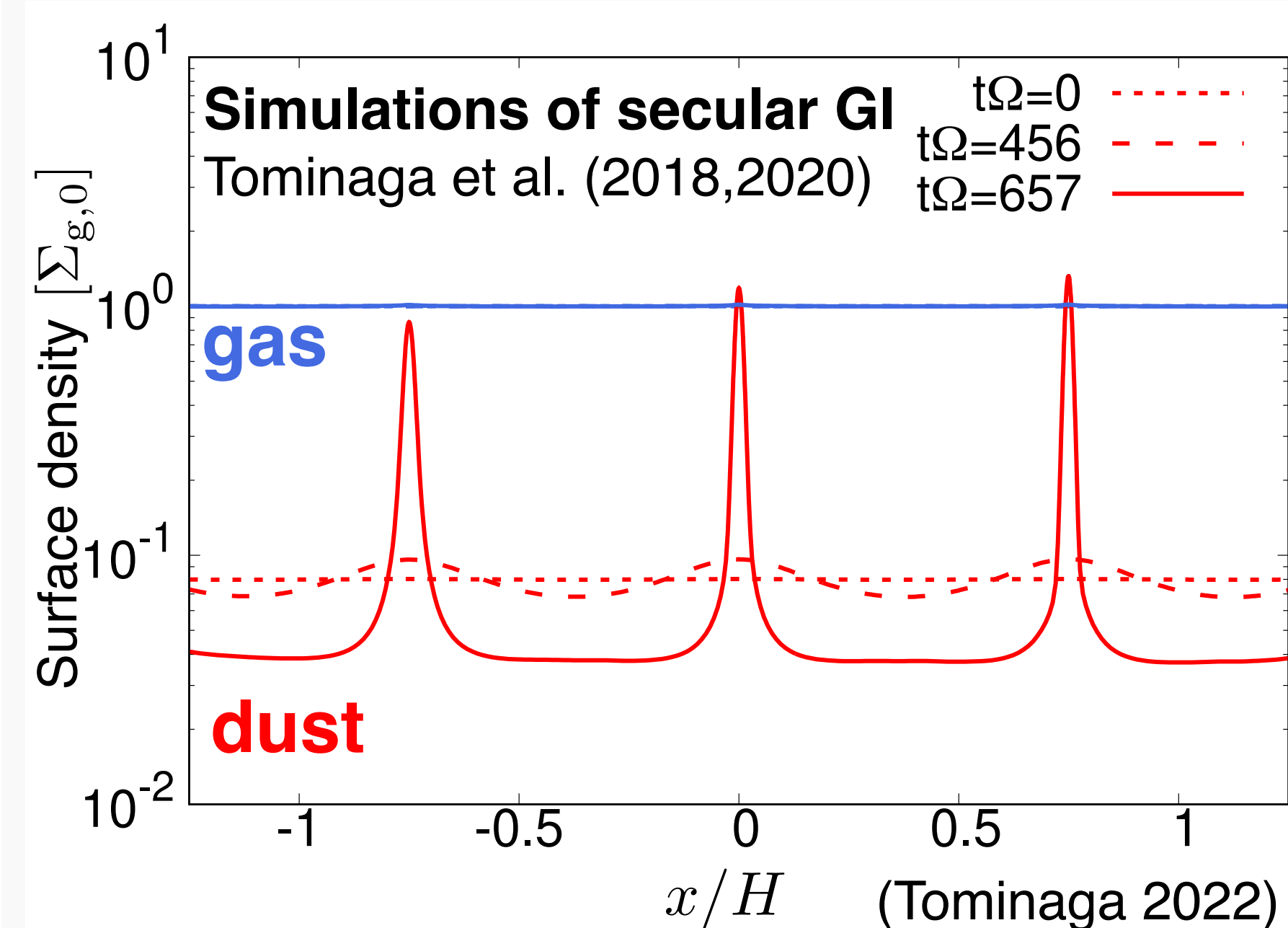
The growth condition for secular GI (found similar to 1D analyses)

$$\pi R^2 \Sigma_d > 3 \times 10^{-4} M_* \left(\frac{\Sigma_d / \Sigma_g}{10^{-2}} \right)^{0.5} \left(\frac{H/R}{0.1} \right) \left(\frac{\tilde{D}_r / t_{\text{stop}} \Omega}{10^{-3}} \right)^{0.5}$$

$$\tilde{D}_r \equiv D_r / c_s H: \text{radial dust diffusivity}$$

(see also Takahashi & Inutsuka 2014; Latter & Rosca 2017; Tominaga et al. 2019)

Secular GI may operate more easily in younger (massive) disks. (e.g., Tobin et al. 2020; Andrews 2020)



Nonlinear secular GI results in self-gravitational collapse of dust rings (Tominaga et al. 2020) or Rossby wave instability (Pierens 2021). Clumps forming via "dust-ring GI" will exhibit prograde spin (Visser & Brouwers 2022; Takahashi et al. 2023), which can explain the observed high frequency of prograde binaries among the TNOs (see also Nesvorný et al. 2019).

Therefore, a combination of CI and secular GI is one promising mechanism to explain planetesimal formation in protoplanetary disks!

